## Optimal decision-making in daily life

## Method 1: Travel Expenditure

1. Ask if any students have experience using Excel spreadsheets. Pair up experienced students with those who are not. Any pairs with no experience will need assistance.
2. Show students the worksheet in Travel Cost Method 1 Tab. Explain coloured columns contain data collected by surveys or looking up data provided by organisations. The blank white columns are where students must calculate using the given data.
3. Ask students to use Columns $B$ and $C$ to calculate the number of people that visit Castle Hill at least once a year. As only a percentage of the total population in Aitkenvale visit the hill, we need to work out how many people that is.
4. Show students how to enter a formula. Click in destination cell - where you want the calculation to go. Then type in = then click on Column B cell 4 . This is the first cell with data in the population size column. Then type * then click on Column C cell 4. Explain how C4 is the shorthand way to write the address for this cell. Ask students what the asterisk must represent (multiply)
5. Press return and the number is shown in cell D4.
6. Show students how to check the formula for this calculation by looking at the formula bar at the top of the spreadsheet just above the columns.
7. Go to column $F$ to work out the total number of visits by people in a year using the data in Columns D and E. Click in cell 4 column F (this is the destination cell), type $=$, then click in D4, then type * then click in E4 then return. Now we know how many total visits are made by these people in a year.
8. Check that students are getting the right answers at this point before proceeding. They should be able to continue independently once they get the hang of the formulas. Assist any pairs that need help.
9. For Student Step 5, they may be tricked by not accounting for the return trip and including $x 2$ in the formula.
10. Once they have a final number for the total annual expenditure for residents who use Castle Hill, remind students that this is for Aitkenvale only. What about the rest of Townsville?
11. Go to Travel Expenditure Method 2 tab in the spreadsheet. The Aitkenvale formulas have been copied in, as well as data for all the other suburbs in Townsville. But the formula cells are empty students need to fill these in. Use the click and drag method:

Step 1 Click on the D4 cell. Move the cursor so that it is at the bottom right corner of the cell. The cursor changes to a black cross +

Step 2 Click on this corner and drag the cross down along every empty cell in this column until you reach cell D24, then release.

Step 3 Every cell should show the final calculation. You can check each formula by clicking in a cell and looking at the formula bar. You will notice that the 'addresses' change for the formula in each cell. Explain that Excel makes these adjustments automatically.
12. Repeat Step 11 for Columns F, H, and K.
13. The final calculation is the sum of the total annual cost for each suburb. Show students the formula in cell B26. This formula shows how to calculate the sum of a column of data. See if the students can work out on their own what to write in as the Excel formula for cell K26. It should be =Sum(B4:B24).
14. As a class answer Questions 11-15

## Answers to Questions 1-5

1. The number is the total travel costs to the residents of Townsville who travel to Castle Hill in a year. We could assume that this is what Townsville residents are prepared to pay for Castle Hill.
2. The numbers in the cells are decimals, but the data is meant to be the number of people using Castle Hill. How can a fraction of a person use the hill? It is not sensible to use decimal numbers for this calculation, they should be rounded up.
3. There is a way to round up numbers in Excel:

Step 1 Select the cells that contain the numbers you want to round up.
Step 2 Go to the little box at the top of the spreadsheet that has the decimal point and zeros. Click on the box on the right).

Step 3 Click as many times as needed to remove the decimal point. The numbers should be rounded up.
4. The value to residents is slightly more than the annual cost for maintaining the hill. So, this implies that the council could invest money in Castle Hill rather than leave it turn to rubble. Or bulldoze it and build a shopping centre. Is this a good idea? Possibly encourage students to take a side on the issue and have a quick debate considering different perspectives. Hopefully students should be outraged and this leads to the next question.

We have assumed that the only value is a travel cost. But many residents like the picturesque way it sits in the middle of the city; tourists like to use it and tourists bring money into the town; using the hill for exercise means that people are getting health benefits that haven't been factored in; if people can't use the hill then they will use other areas like the strand which will become overused and require more maintenance.

This leads to Method 2, which is another way to consider whether it is worth spending money on Castle Hill maintenance.

## Method 2: Economic Return

1. Ask students to look at Table 1 again. As a class discuss what are the differences between the two firms? Point out where Company B will spend on non-local goods/workers.
2. Ask students which company will spend the most in Townsville? Write down the total amount spent locally for each firm.
3. Introduce the idea of a multiplier effect. For every dollar that a Townsville based worker receives from the Maintenance company, the worker will spend some of it back on local products. Not all of it, but some of it will buy local goods from local businesses. So, some of that original dollar can be spent again by the business person who receives it from the worker. And the business person will spend some of that part of the dollar they received locally which means that the dollar can be spent over and over in the Townsville community until there are no parts left. Method 2 is the Economic Return method for working out how much of the council's maintenance money will be returned to the Townsville economy.
4. Go through the different ways a worker can use a dollar. This is one round of spending (expenditure) for each dollar a worker is paid. Model this with play money. Assign a profession to different students - company boss, worker, tax collector, banker, non-local online book seller, local grocer who then goes on to spend that money again in the local economy.
5. Go through the diagram, and ask students to work out how much of a dollar is left after the first round of expenditure (the green arrows). This is how much that is left over to re-spend in the local economy (the blue arrows).
6. Ask students to predict how much will be left after the second round of expenditure.
7. Ask students to calculate this value, going through all the steps again.
8. Show students how to express the relationship between the initial dollar paid and the amount left over after spending as a ratio.
9. Ask students to fill in the table using the ratio to calculate the amount of money left after the $1^{\text {st }}$ round of spending. Use the amount of money paid locally by each company that the students calculated in their Step 2.
10. Go to the spreadsheet tab Economic Return Method. Explain that Table 1 is repeated here for their reference (in the grey area). Look at the light green cells - this is the amount of money paid to local workers/suppliers by each company that they worked out in Step 2. Ask students to write an Excel formula to show this relationship and then enter it into the cells in the spreadsheet. C = F3*0.504
11. Check that this value matches the value that they calculated in their Step 7.
12. Ask students to copy the formula into each cell for each Company's column.
13. Ask students to count how many rounds of spending it took before only 1 cent was left to re-spend.
14. Ask students to find the total amount of money that is returned to the Townsville economy, by writing an Excel formula and entering it into cells F34 and G34 for each company.

## Answers to Questions

Step 1 The Brisbane firm is going to use some of the council's payment to pay non-local workers and to buy goods in Brisbane. The Townsville firm will spend all the council's money on local workers and products.

Step 3 Guide them through the diagram. Green arrows show the first round, blue arrows show the second round. The value C works out to be 0.504 .

Step 4/5 Students should make a guess - they will probably halve it, so see if they can see this relationship intuitively. They can check if they were right by going through the calculations again.

Step 7 Use values from Student Step 2 and the C value.

Step 8 Point out that the table is reproduced in grey just so they can refer to it. The pale green row is the initial expenditure by the council when they pay the company. The Excel formula should be $=F 4 * 0.504$

Step 10 There were 29 rounds.
Step11 The totals are $=$ Sum (F4:F34) or H

1. The amount of money returned to the local economy with either company is more than the travel cost method values Castle Hill.
2. The council should go ahead, because even though the initial expenditure is like the travel cost value of Castle Hill, paying a company to do the work will return money to the local economy.
3. The local company should be engaged because much more money is returned because more goods and services are sourced locally compared to the Brisbane company.

## Procrastination

1. Introduce idea of presence bias using an example.
2. Introduce idea that the council must decide if they should do the work in 2017 or wait. What is the benefit in waiting? We will work out what the impact on the 2016 budget will be in two scenarios doing the work in 2017 or 2018.
3. Introduce idea of risk. If the work is not done there is a $1 \%$ chance of a landslide. This can be written as a fraction 0.01. Y is the extra costs if it happens. So, for every year there is a delay in doing the work this cost is possible and should be added to the budget. But if the work is done the risk is reduced to 0 .
4. Introduce the bias parameter called beta $b$. If the cost is incurred in the present then the value of $b$ is 1 . If it is incurred in the future the value of $b$ is 0.5 . So, when the maintenance work is done then the full amount of the maintenance cost is incurred in the budget for that year.
5. Show scenario table. The council must decide in 2016 whether to go ahead in 2017 or 2018. Already in 2016, the risk cost is $0.01 \times \mathrm{bx} \mathrm{Y}$ in either case.
6. Show that if the work is done in 2017, the actual maintenance costs are incurred ( $1 \times \$ 249700$ ), but if it is delayed another year, in 2017 the costs are just the risk costs.
7. Show that in 2018 there are no more costs if the work has been done, but if there has been procrastination then another risk cost must be added in.
8. Calculate the total costs in the 2016 budget for work done in $2017=0.01 \times b x Y+05 \times 249,700+0$; and for work done in $2018=(0.01 \times b x Y) \times 2+0.5 \times 249,700$.
9. Calculate the total costs in the 2017 budget which change because the work is done and you can leave out the risks $(=249,700)$; or there are still the risk costs if it is delayed another year (= $0.01 x b x Y+0.5 \times 249,700)$
10. Investigate how the value of $Y$ will affect the amount of costs, and whether this should also be considered.

## Answers to questions (I think!)

a. For the 2016 budget:

Work done in 2017 = 0.01xbxY $+05 \times 249,700+0$;
and for work done in $2018=(0.01 x b x Y) \times 2+0.5 \times 249,700$.
For the 2017 budget:
Work done in $2017=249,700$; or there is still the risk costs if it is delayed another year ( $=0.01 x b x Y+0.5 \times 249,700)$
b. It will look better in the 2016 budget if they say they will carry out the work in 2017.
c. As the value of $Y$ increases to 100 times the cost of maintenance then there is nothing gained.
d. Find out how much the cost of repairing a landslide would be.

## Optional Activity

1. Conduct an auction using the play money and chocolate bars.
2. Hand out random amounts of money to students and then auction off one chocolate bar. Record the price paid.
3. Than hand out even more money randomly and auction another choc - write down the price paid.
4. Hand out even more money and auction the third choc. The price paid should increase each time because there is more money around. But there was only ever 1 bar of choc available per auction round.
5. If the amount of money and the amount of goods aren't kept in check then inflation occurs and we end up paying too much for items. Lower interest rates means more loans can be made available, and therefore more money is distributed, hopefully to buy more goods, which are in plentiful supply but not being purchased.
6. Then hand out a chocolate bar to everyone!
